Incorporating public transport in a methodology for assessing resilience in urban mobility

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Abstract
Resilience has gained importance in the current research and policy agendas as it incorporates concepts of adaptation and transformation. Urban areas are complex systems exposed to different shocks, which have impacts on its various components. Research in transport has already incorporated the concept of resilience with more or less sophisticated approaches that are intensive on data and technical expertise. There is a need to explore the incorporation of resilience in simpler and less data
intensive methods that can be easily applied in a wider range of contexts. One of the aims of this research is to develop a method that can use commonly available mobility management tools allowing smaller urban areas to analyse and plan for resilience. We present a new development of a method to assess resilience in transport systems with a commonly used mobility management tool (the origin-destination matrix) for calculating an overall measurement of resilience. The method assumes that car trips are transferred to active modes or to the available public transport routes in the event of any disruption in the system. We consider different scenarios of availability of public transport in case of disruptive events. We applied the method to two urban areas in Brazil. The variation of the contribution of the public transport presents patterns comparable between the two cases. The spatial distribution of trips shows the relative importance of resilient trips and the cities’ spatial structure. The inclusion of public transport routes has an impact on the levels of accessibility of lower income users.

Keywords: resilience, urban mobility, public transport, active modes, Brazil

1. Introduction

This paper presents the results of the application of a method to classify the level of resilience of urban trips in the event of total unavailability of cars and with potentially restricted use of public transport. The main goal of the research is to develop a robust analytical tool for resilience applicable in low intensity data contexts (i.e., contexts without comprehensive and/or detailed datasets), which allows less capacitated management bodies to plan and respond to disruptive events due to climate change or socioeconomic unrest.

Urban development based on heavy transport infrastructure development contributed to a society increasingly more dependent on a car-based mobility (Wiersma et al., 2017) and, as a consequence, cities more vulnerable to various risks that impact the use of the car and other (internal combustion) motorised vehicles. At the same time, we are living the rise of the state of climate emergency (Let’s work together, 2020), with multiple nations and international organisations as the United Nations (UN) and the European Union pushing for strong measures for greenhouse gases emissions reduction, in a context where severe disruptions due to climate change are occurring with more severity and higher frequencies. Social and economic uncertainties also affect mobility. The UN Sustainable Development Goals framework and agenda aims at creating more inclusive territories and cities for sustainable urban development and growth (United Nations, 2015). Sustainable urban development
frameworks generally includes more efficient transport systems and reduced dependency from private car mobility (Zhao, 2010).

The concept of resilience was introduced to environment studies in the early 1970s as the capacity of a system to maintain its functions absorbing changes caused by possible disruptions (Holling, 1973). It has been later detailed and its components identified. It includes the capacity of a system to: (1) resist (Berche et al., 2009; D’Lima and Medda, 2015; Jin et al., 2014); (2) adapt itself (Bruneau et al., 2003; Chan and Schofer, 2016; Ta et al., 2009); and (3) transform itself (Berdica, 2002; Mattsson and Jenelius, 2015; Seeliger and Turok, 2013) in order to recover from a shock, absorb its consequences and maintain levels of functionality.

Transport systems are in the forefront of the impacts of all types of shocks, from environmental to social and economical changes. Cox et al. (2011) assessed the effects of the July 2005 terrorist attacks on the metro and bus systems in London. Chan and Schofer (2016) studied the consequences suffered by the rail transport service of the New York City after severe climate change events (hurricanes and blizzard). Moreover, Brazil has recently suffered some events of severe disruption due to fuel price peaks and lack of proper policy control (Lopes Da Silva et al., 2019). Analysing the resilience levels of transport systems is therefore key to better strategic and operational planning and risk management (D’Lima and Medda, 2015). Transport policies targeting the development of better infrastructure and better operational performance can increase urban resilience in the long term (Leung et al., 2017).

The consideration of active transport modes also contributes to the increase of resilience levels as these modes have no or lower dependencies on fuel (Fernandes et al., 2019) and more functional infrastructure. The literature on resilience in transport has still few examples of analysing resilience considering active modes and mode transfer (Berche et al., 2009; D’Lima and Medda, 2015; Jin et al., 2014; Martins et al., 2019). The literature has very few approaches based on simple mobility indicators that could be applied in contexts of data scarcity and lack of advanced expertise.

This paper presents a new iteration of a research project on the development of a methodology for assessing the overall resilience of transport systems in the event of severe disruptions due to natural and socio-political events, with its first iteration reported in Martins et al. (2019). Our study aims at developing further the methodology by incorporating the public transport mode in the calculation of the index of urban mobility resilience. Public transport is a key mode that should be considered in disruptive events due to its social function in providing accessibility to all. This can potentially help decision makers to manage the transportation systems in both its strategic and operational layers. The study also analyses the relationship between resilient trips and income. Section 2 presents a literature overview introducing the concepts of resilience and how public transport has been considered. Section 3 presents the methodological approach. Section 4 reports on the application of the
methodology to two cases studies in Brazil, the city of São Carlos, SP, and the Metropolitan Region of Maceió, AL. Finally, conclusions about the application and validity of the methodology are drawn on section 5.

2. A Brief Literature Overview

Resilience can be defined as the capacity of ecosystems to return to their initial states when subjected to perturbations (Holling, 1973). The concept was latter explored and detailed considering its multiple components, namely function, structure, identity and, very important, existing feedbacks (Walker et al., 2004). Distinctions were also made between resilience as the return to a general equilibrium state in engineering or to possible multiple equilibrium states in ecology (Holling, 1996; Reggiani et al., 2015). Walker and colleagues also introduced the concepts of adaptability and transformability to consider the capacity of a system to exist in multiple states of stability (Walker et al., 2004). Adaptability can be defined as the capacity of the system to develop within the boundaries of its own stability (Folke et al., 2010). Transformability encompasses the possibility of a system to create or achieve new domains of stability (Fernandes et al., 2017). The inclusion of the concept of resilience is considered to be an improvement on risk analysis, as it incorporates holistic concepts of complexity, interdependency and uncertainty to characterise systems and their responses to exogenous shocks (Linkov et al., 2014). Many studies conducted by governments and NGOs have incorporated resilience based on these concepts (Coaffee et al., 2018).

Resilience is being incorporated in multiple frameworks of urban analysis (Ribeiro and Pena Jardim Gonçalves, 2019). The analysis of resilience in the transport system has been made through both qualitative and quantitative approaches, usually focusing on a single transport mode and the majority of times focusing on the operational aspects of the system (Leobons et al., 2019). Disruptive events are central to many of these analyses, addressing network disruption (D’Lima and Medda, 2015; Hong et al., 2019; Jin et al., 2014), economic or energy crisis (Fernandes et al., 2019; Santos et al., 2020), man induced disasters (Cox et al., 2011) and natural disasters (Chan and Schofer, 2016; Donovan and Work, 2017; Duy et al., 2019). The impact of resilience in transport choice and transfer is also addressed, with research done on a single mode (Chan and Schofer, 2016; D’Lima and Medda, 2015), on mode demand compensation (Cox et al., 2011; Jin et al., 2014) or in assessing overall transfer mode from combustion engine based modes to active modes (Martins et al., 2019).

Energy crisis is a recurrent subject in analysing resilience in transport. Krumdieck et al. (2010) proposed a classification of trips considering their impact and the need to ensure a given standard of...
wellbeing. Trips have been classified as optional, the ones that could be eliminated without a significant reduction of wellbeing; necessary, which lead to important loss of accessibility but could nonetheless be eliminated; and essential, which correspond to basic accessibility needs (to jobs, health services, etc.). Krumdieck et al. (2010) classified the levels of impact as low, medium, high and very high. Leung et al. (2017) analysed the cases of Brisbane, Australia, and Hong Kong, China, highlighting the need to make accessible transport available to ensure transport resilience. Mattioli et al. (2019) analysed the vulnerability of English regions considering fuel cost increases. Fernandes et al. (2019) did a similar analysis where the impact of the cost increase on both public and private transport modes is assessed; however, it lacks a demand analysis considering origins and destinations.

It is now abundantly clear that current environment and social uncertainties generate pressures on cities to deal with disruptions and many cities and towns (particularly the smaller ones) have a deficit of knowledge and evidence on how to address it. The use of common and validated urban and transport management tools, such as the origin-destination (OD) matrix, is key to ensure that these less capacitated entities can address these issues as well as more developed urban areas do.

3. Methodology

Our methodology is an extension of the method for assessing resilience in mobility presented in Martins et al. (2019). The method explores the distances that can be travelled in walking and bicycle modes in the event of unavailability of motorised modes. In this new approach, we evaluated what trips would or would not be affected if public transport is partially available. The method uses public transport itineraries and data of origin-destination (OD) surveys to build scenarios for identifying how different transit supply levels affect the resilience of mobility.

3.1 Distances between TAZ centroids

As this work proposes to establish a methodology with wide application, which uses commonly available data (OD surveys), we assumed the design simplification of considering the commonly used Traffic Analysis Zones (TAZ) and their centroids. As any methodology based on the use of TAZ, ours is constrained by this representation of the transport system. The first step of the method is the calculation of network distances between all centroids of TAZ. This results in a symmetric matrix with n rows and n columns, in which n is the number of zones. All matrix entries are distance values greater than zero except the main diagonal. As proposed by Martins et al. (2019), the intrazonal trips are set to zero because they are supposed to be short trips, likely to be done by non-motorized modes.
3.2 Maximum Possible Distances (MPD) and scenarios of active modes

As active modes distances are limited by characteristics of the individuals and also of the locations, we assumed the concept of Maximum Possible Distances (MPD) for walking and cycling. These essentially reflect the maximum distances an individual accepts to travel using these modes. The idea is to define acceptable incremental values for MPD for walking and cycling and evaluate changes in mode selection for different combinations of walking and cycling MPD, as used by Martins et al. (2019). These combinations are used to build the scenarios for the analysis of resilience, with a single restriction: MPD values for walking are always shorter than MPD for cycling. We adopted the same procedures to build the scenarios of active modes, which were subsequently combined with different scenarios of transit supply.

3.3 Potential demand and scenarios of public transport

The analysis of public transport involves the identification of the available transit modes in the study area, number of routes per mode, routes characteristics (e.g., radial, circular, etc.), and TAZ crossed by each route. The proposed procedures, which in large regions can be expedited if the datasets are available as GIS files, are explained through a simplified example with five TAZ and one bus route in Figure 1. As the outbound and inbound itineraries of route 1 are not coincident, the TAZ served in each direction are different (Figure 1 and Table 1).

Figure 1 Identification of TAZ served by a bus route on outbound (red) and inbound (blue) directions on a hypothetical example

This example is further developed with two additional routes, as shown in Table 1. The zones served by each route are subsequently combined in a single matrix (i.e., the Matrix of Served Connections - MSC), as shown in Table 2. The connections between zones are represented with a binary coding, in which one means that the pair of zones is connected by that route and zero otherwise. In the example,
the differences between outbound and inbound directions are colour-coded in blue and red, respectively. In addition, intrazonal trips are not relevant in this process because we assume that they are short trips done by active modes. In a critical situation of fuel shortage, transit operators and managers are supposed to keep operating only priority routes. We propose to identify these routes by looking at the potential transit demand (PTD) of the transit routes, which can be obtained with a combination of OD data and the MSC.

Table 1 Identifying TAZ served by more than one bus route

<table>
<thead>
<tr>
<th>Route</th>
<th>1</th>
<th>2</th>
<th>3</th>
</tr>
</thead>
<tbody>
<tr>
<td>Outbound</td>
<td>1</td>
<td>4</td>
<td>2</td>
</tr>
<tr>
<td></td>
<td>4</td>
<td>2</td>
<td>4</td>
</tr>
<tr>
<td></td>
<td>2</td>
<td>5</td>
<td>3</td>
</tr>
<tr>
<td></td>
<td>5</td>
<td>1</td>
<td></td>
</tr>
<tr>
<td>Inbound</td>
<td>5</td>
<td>5</td>
<td>1</td>
</tr>
<tr>
<td></td>
<td>3</td>
<td>3</td>
<td>3</td>
</tr>
<tr>
<td></td>
<td>1</td>
<td>4</td>
<td>4</td>
</tr>
</tbody>
</table>

Table 2 Identification of routes serving each OD pair in the example of Table 1 (coding: 1 - connection served by transit; 0 - connection not served by transit; red - outbound connection; blue - inbound connection)

<table>
<thead>
<tr>
<th>O\D</th>
<th>1</th>
<th>2</th>
<th>3</th>
<th>4</th>
<th>5</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>-</td>
<td>1/0/1</td>
<td>0/0/1</td>
<td>1/0/1</td>
<td>1/0/0</td>
</tr>
<tr>
<td>2</td>
<td>0/0/1</td>
<td>-</td>
<td>0/0/1</td>
<td>0/0/1</td>
<td>1/1/0</td>
</tr>
<tr>
<td>3</td>
<td>1/0/1</td>
<td>0/0/1</td>
<td>-</td>
<td>0/1/1</td>
<td>0/0/0</td>
</tr>
<tr>
<td>4</td>
<td>0/0/1</td>
<td>1/1/1</td>
<td>0/0/1</td>
<td>-</td>
<td>1/1/0</td>
</tr>
<tr>
<td>5</td>
<td>1/0/0</td>
<td>0/0/0</td>
<td>1/1/0</td>
<td>0/1/0</td>
<td>-</td>
</tr>
</tbody>
</table>

The analysis of the PTD has to start with the identification of the available public transport modes because some of them may not be affected by the constraints considered. For example, if the crisis is related to the supply of fossil fuel, public transport modes operated by electric vehicles are eventually not affected (particularly in Brazil, where the energy matrix is largely dominated by hydroelectric
power). We call these routes “permanent routes”. Thus, if their operation is not interrupted, these routes shall not be part of the priority analysis.

The next step is to identify, in the OD survey dataset, the number of motorized trips associated with each OD pair and the availability of public transport for the connections between zones (the MSC). All zones connected by permanent routes are considered as served by public transport. For all other routes, the priority order is based on the PTD. The PTD of each route is the sum of the actual motorised trips between the OD pairs served by the route (as shown in the example of Tables 1 and 2). The route with the highest priority is the one with the maximum PTD value. The classification of the other routes in terms of priority takes into account the incremental PTD found in the OD pairs added by each route to the demand already served by the previously selected routes. This process of selection is done until all routes are ranked or no other route is able to add more PTD. When the additional PTD of a route is equal to zero, no more users will benefit from the inclusion of this route. Therefore, there is no justification for operating it during a crisis.

Table 3 contains the values of the PTD and the ranking list for the hypothetical example discussed in Tables 1 and 2, which has no permanent routes. Route 1 has the highest total PTD. Therefore, it is the first route to be selected. Route 3 is selected next in the list of priority and Route 2 is not selected, because it adds no PTD to Routes 1 and 3 combined.

Table 3 Quantifying the Potential Transit Demand (PTD) for the example of Tables 1 and 2

<table>
<thead>
<tr>
<th>Origin zone</th>
<th>Destination zone</th>
<th>Motorised trips</th>
<th>Route 1</th>
<th>Route 2</th>
<th>Route 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>2</td>
<td>79</td>
<td>OD pair served</td>
<td>OD pair not served</td>
<td>OD pair served</td>
</tr>
<tr>
<td>1</td>
<td>5</td>
<td>54</td>
<td>OD pair served</td>
<td>OD pair not served</td>
<td>OD pair not served</td>
</tr>
<tr>
<td>2</td>
<td>3</td>
<td>41</td>
<td>OD pair not served</td>
<td>OD pair not served</td>
<td>OD pair served</td>
</tr>
<tr>
<td>4</td>
<td>5</td>
<td>32</td>
<td>OD pair not served</td>
<td>OD pair served</td>
<td>OD pair not served</td>
</tr>
<tr>
<td>5</td>
<td>2</td>
<td>35</td>
<td>OD pair not served</td>
<td>OD pair not served</td>
<td>OD pair not served</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Potential Transit Demand (PTD)</th>
<th>165 (79 + 54 + 32)</th>
<th>32</th>
<th>120 (79 + 41)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Incremental PTD</td>
<td>-</td>
<td>0</td>
<td>41</td>
</tr>
<tr>
<td>Priority</td>
<td>1</td>
<td>-</td>
<td>2</td>
</tr>
</tbody>
</table>

The public transport (PT) scenarios considered in the analysis refer to the number of routes in operation in that scenario. If public transport is completely unavailable (i.e., no routes are operated and all trips have to be made by active modes), this is scenario PT0. If only one route, which is the one classified with the highest priority (i.e., the maximum PTD), is selected, this is scenario PT1. The subsequent public transport scenarios follow the same logic (PT2, PT3, etc.) until scenario PTm, in which the last route m adds PTD to the previously selected routes. When no permanent routes (i.e.,
routes not affected by the crisis) are considered, PT0 is exactly the case considered by Martins et al. (2019) for setting up the scenarios of active modes. The PTD of each scenario is easily obtained by the combination of the PTD matrices of all routes operating in that scenario.

### 3.4 Combined scenarios and classification of trips

The analysis of resilience conducted in this study uses a combination of active modes scenarios and public transport scenarios. The scenarios of active modes are formed by different combinations of MPD for walking and for cycling, whereas public transport scenarios are associated with the number of routes in operation, as described in section 3.3. Hence, the identification of the combined scenarios shows the MPD values for walking and cycling and the number of public transport routes selected. Scenario W0.5B1.5PT1, for example, is the case with a MPD of 0.5 kilometres for walking (W), a MPD of 1.5 kilometres for bicycling (B) and one public transport (PT) route in operation.

For each scenario, the OD survey trips are classified in resilience levels (based on Folke et al. (2010) and Martins et al. (2019)). Walking or cycling trips equal to or shorter than the respective MPD and public transport trips served by the routes in operation in the scenario under analysis are persistent trips. Active mode trips longer than the MPD are classified as exceptional trips. All motorized trips shorter than the MPD and car trips longer than the MPD but covered by the public transport routes in operation are considered adaptable trips. Finally, all motorised trips longer than the MPD and not covered by the transit routes in operation are the transformable/at risk trips, which are the trips most affected by the imposed constraint.

Persistent, adaptable and exceptional trips are resilient, whereas transformable trips are at risk because they are substantially more vulnerable than the other classes of trips. The overall resilience level of a city is given by the percentage of resilient trips in relation to total trips. According to Martins et al. (2019), overall resilience can be classified as follows: very low (0 to 20.0%), low (20.1 to 40.0%), medium (40.1 to 60.0%), high (60.1 to 80.0%), and very high (80.1 to 100.0%).

Even though the calculation method is not complex, it requires some time and effort to compute all PTD values for determining the priority routes. To increase the efficiency of the method, we implemented the algorithm described in sections 3.3 and 3.4 using Python.

### 3.5 Classification, spatial distribution and socioeconomic characteristics of the trips

After being classified as resilient (i.e., persistent, exceptional, or adaptable) or vulnerable (i.e., transformable/at risk), the OD trips can be mapped by their TAZ. The graphical outcomes can be used for identifying zones with high levels of vulnerability in each scenario. According to Cariolet et
al. (2019), managers and decision-makers can use these maps to visualize critical regions of the city for developing strategies for improving the resilience of mobility. The results can also be used to look for possible relationships between the trip classification and socioeconomic characteristics (income, for example) of the travellers. This analysis can indicate population groups that are particularly vulnerable to the crisis.

4. Results and Discussion

4.1 The case studies

We applied the methodology to two case studies in Brazil, the cities of São Carlos, São Paulo, and the Metropolitan Region of Maceió (MRM), the capital of the State of Alagoas. These regions were chosen as demonstration cases with different characteristics of location (inland versus coastal), in public transport system (only bus versus bus and Light Rail Train, LRT) and in spatial and demographic characteristics.

The scenarios for Maximum Possible Distances (MPD) for both active modes are a selection from the ones tested in Martins et al. (2019), now combined with the number of bus routes. The selection includes the scenarios with MPD that characterise the curves (five for each case study) and a set of other scenarios with equidistant MPD values between the latter.

Sao Carlos has a population of 246 thousand inhabitants (estimation for 2017, Instituto Brasileiro de Geografia e Estatística, (2010)). The city has a significant concentration of skilled jobs in academia, services and manufacturing. A summary of the OD data is available in Table 4 and a map of the traffic analysis zones (TAZ) is depicted in Figure 2(a). The distribution of the population density is depicted in Figure 2(b). The public transit network is only served by buses, with 54 routes in operation (licensed by the Municipality of São Carlos), mainly with radial itineraries and only a few with circular itineraries. Values of MPD for active modes for São Carlos reach a maximum of 4.0 km for walking and 12.5 km for bicycle, which combined with the maximum number of 28 bus routes that supplies all potential transit demand (PTD) accounts for 290 scenarios (from scenario SC_W0.0B0.0PT0 to scenario SC_W4.0B12.5PT28).

Table 4 Summary of the OD surveys for São Carlos and the Metropolitan Region of Maceió (MRM)
<table>
<thead>
<tr>
<th>City</th>
<th>Number of TAZ</th>
<th>Year of Survey</th>
<th>Maximum Distance between TAZ (km)</th>
<th>Total</th>
<th>Walking</th>
<th>Mode Share (%)</th>
<th>Bicycle</th>
<th>Mode Share (%)</th>
<th>Public Transport</th>
<th>Mode Share (%)</th>
<th>Car</th>
<th>Mode Share (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>São Carlos</td>
<td>41</td>
<td>2007/2008</td>
<td>12.5</td>
<td>6821</td>
<td>2883</td>
<td>33.5</td>
<td>222</td>
<td>3.2</td>
<td>1445</td>
<td>21.2</td>
<td>2871</td>
<td>42.1</td>
</tr>
<tr>
<td>Metropolitan Region of Maceió (MRM)</td>
<td>83</td>
<td>2014</td>
<td>29.5</td>
<td>6038</td>
<td>2080</td>
<td>34.5</td>
<td>277</td>
<td>4.6</td>
<td>1764</td>
<td>29.2</td>
<td>1917</td>
<td>31.8</td>
</tr>
</tbody>
</table>
Figure 2 Maps of TAZ and population density for the city of São Carlos, SP
Maceió has a population of 1.12 million inhabitants (estimation for 2017, Instituto Brasileiro de Geografia e Estatística, (2010)). The metropolitan area includes the municipalities of Maceió, Rio Largo and Satuba, and its economy is based on manufacturing and services with a strong influence of several state and federal services. A summary of the OD data is available in Table 4 and a map of the TAZ is depicted in Figure 3(a). The distribution of the population density is depicted in Figure 3(b). The public transit network has 96 bus routes in operation and one diesel-engined Light Rail Train (LRT) route serving the three municipalities of Rio Largo, Satuba and Maceió. Values of MPD for active modes for the MRM reaches a maximum of 4.0 km for walking and 27.5 km for bicycle, which combined with the maximum number of 44 bus routes (that satisfy all PTD) results in 1170 scenarios (from scenario MRM_W0.0B0.0PT0 to MRM_W4.0B27.5PT44).
Figure 3 Maps of TAZ and population density for the Metropolitan Region of Maceió (MRM)

4.2 Segmentation of trips and level of resilience

The variations of the resilience levels are depicted in Figure 4 for São Carlos and in Figure 5 for the MRM. In both graphics, each point of a given curve represents a scenario with a combination of a MPD for walking (W) and bicycle (B) combined with a number of public transit (PT) routes that have been considered not disrupted in the scenario, ranked by the higher PTD (the sum of OD trips served...
by any bus route). To ensure legibility of the graphics, we opted to represent one curve per scenario, instead of the surface that represents the three parameters (W, B and PT). The horizontal axis represent the MPD for bicycle. Again, to ensure legibility, we opted to represent only some of the curves, up to the scenario where new bus routes would not add new PTD (28 for São Carlos and 44 for the MRM).

Figure 4 Variation of resilience levels for different MPD values for bicycle, considering multiple scenarios of PT for São Carlos, SP

São Carlos registers an entry level of 40.4% of resilience in the starting scenario SC_W0.0B0.0PT0, where only intrazonal and exceptional trips are made on walking and cycling modes and no bus route is in operation. When moving on to scenario SC_W0.0B0.0PT1 (one bus route in operation) there is a jump to around 62% of resilience, as all trips between any given OD pair served by that bus route can be made. When trips with longer MPD for bicycle are considered (MPD for walking is always equal or smaller than the MPD for bicycle), jumps on resilience happen mainly because adaptable and persistent trips can then be made on walking and cycling modes. In these cases, gains given by
the operation of more bus routes are smaller as the bus network increases its offer to more OD pairs. All scenarios for São Carlos present a four stages behaviour, with inflection points with MPD at 1.5 km when gains in resilience increase faster as more trips become persistent or adaptable, 3.5 km when these gains start slowing down to a new slow growth stage at 7.5 km, to finally disappear for trips with MPD over 11 km. This behaviour is consistent along all public transit scenarios, with decreasing gains (but not constant in value) as all PTD for public transport is satisfied.

Figure 5 Variation of resilience levels for different MPD values for bicycle, considering multiple scenarios of PT for the Metropolitan Region of Maceió (MRM)

The MRM registers an entry level of 43.0% of resilience in the starting scenario MRM_W0.0B0.0PT0. When moving on to scenario MRM_W0.0B0.0PT1 (one bus route in operation) there is a jump to around 60% of resilience. When trips with longer MPD for bicycle are considered (again, MPD for walking is always equal or smaller than the MPD for bicycle), jumps on resilience happen mainly because adaptable, persistent and exceptional trips can then be made on walking and bicycle modes. In these cases, and consistent with São Carlos, gains given by the
operation of more bus routes are smaller as the bus network increases its offer to more OD pairs, which in the case of MRM are larger due to the larger number of OD pairs. It is possible to observe the same four stages behaviour for the MRM as for São Carlos. These have inflection points with MPD at 2.0 km when gains in resilience increase faster as more trips become persistent or adaptable, 5.5 km when these gains start slowing down at 7.5 km (interestingly the same value as for São Carlos), to finally disappear for trips with MPD over 17 km. This behaviour is once again consistent along all public transit scenarios, with decreasing gains (again, not constant in value) as all PTD for public transport is satisfied.

These behaviours for both São Carlos and the MRM present values of resilience just under 60% in the case of scenarios with no public transport services and MPD for bicycle under around 2.5 km for São Carlos and under around 3.5 km for the MRM. These values account for significant to high resilience according to the classification presented in section 3.4.

One observed finding is that (without considering operational or network issues) a reduced number of bus routes is necessary to be in operation to ensure higher levels of resilience. In the case of São Carlos, only 28 bus routes (or 52% out of a total of 54 routes) are sufficient to ensure levels of resilience of around 94% or above. For the MRM, the number of bus routes that satisfy all the PTD is 44, representing 45% out of the 97 routes (including the LRT). This could perhaps represent a better distribution of the bus routes in the MRM than in São Carlos, but further research is needed to confirm this assumption.

### 4.3 Spatial distribution of trips per TAZ

We present the spatial distribution of trips per TAZ classified by their resilience level to help localise areas of potential increase of resilience with the maintenance of operating bus routes in case of disruption. These maps show the variation of resilience in the inflexion points identified in the previous section, illustrating the variation of the spatial distribution when the MPD for bicycle increases to encompass trips done in the majority of the area of the city. Figure 6 depicts, for São Carlos, the spatial distribution of trips in which, for a MPD for walking and bicycle of 1.5 kilometres, the number of available bus routes increases. The impact of having one route in operation is significant, adding much more resilience especially in the peripheral areas of the city, mainly in the south, southwest and the northwest of São Carlos. Resilience gains starts to occur more in the city centre and less in the peripheries once more routes become operational, a consequence of more public transport offer. Figure 7 depicts the variation of resilience in São Carlos when one bus route is available and the MPD for cycling increases. For scenarios with the same number of available bus routes, more substantial gains happen in peripheral areas of the city for larger MPD; on the other
hand, the city centre has more gains for shorter MPD because it already has a larger number of resilient trips. The most peripheral areas in the southwest and northwest of the city gain much more of having available bus routes than from increased MPD as they depend more on longer trips to access jobs and services.

Figure 6 Spatial distribution of resilience per TAZ in São Carlos for a sample of scenarios with MPD for both walking and bicycle of 1.5 kilometres and different number of available bus routes
Figure 7 Spatial distribution of resilience per TAZ in São Carlos for a sample of scenarios with one available bus route and variable MPD for bicycle, MPD for walking of 1.5 kilometres.

Figure 8 depicts, for the MRM, the spatial distribution of trips in which, for a MPD for walking of 1.5 kilometres and for bicycle of 2.0 kilometres, the number of available public transit routes increases. Gains in resilience depend on a large number of available routes (larger than in São Carlos). This is a consequence of the city scale and from a large concentration of jobs and services in the...
historic centre in the south (close to the ocean), whereas residential areas are more evenly spread across the MRM. Figure 9 depicts, for the MRM, the variation of resilience when one public transit route is available and the MPD for cycling increases. Resilience gains start to happen only for relatively long bicycle MPD (above around 7.5 kilometres) which reflects the longer average trip distance in this city, again a consequence of the displaced centrality of the MRM. The size of the MRM and the consequent large average trip length creates a strong dependence of the public transport. Therefore, the impact of adding routes is significantly higher than the impact of having larger MPD for cycling. This is visible by the variation of persistent trips across the MRM.

Figure 8 Spatial distribution of resilience per TAZ in the MRM for a sample of scenarios with MPD bicycle of 2.0 kilometres and different number of available public transport routes
Figure 9 Spatial distribution of resilience per TAZ in the MRM for a sample of scenarios with one available public transport route and variable MPD for bicycle

4.4 Resilience and income

We used the scenarios mapped in the previous section to analyse the relationship between trip distances and their resilience classification and individual income (for São Carlos in Figure 10) and household income (for the MRM in Figure 11). This difference in the income variable shows consistency between the two case studies as the average size of households in the MRM is 3.4, a value calculated from the data of the OD survey.

A straightforward and generalised comparison between the two case studies is not feasible, as there are variations among income classes or mobility scenarios within each case study and between the two cities. However, results show interesting indications regarding particular aspects of income distribution and urban mobility resilience, as discussed next.
When considering the variation of MPD for cycling with a constant number of available public transport routes (the right column of Figure 10 and Figure 11), it is interesting to see that patterns follow the ones presented by Martins et al. (2019) in which public transport was considered as a motorised vehicle. Transformable/at risk trips become adaptable for lower income levels in both São Carlos and the MRM. Another interesting observation is that lower income levels have less gains in resilience as less transformable/at risk trips become adaptable or persistent, more so in the MRM than in São Carlos, as depicted in the left column of Figure 10 and Figure 11. Statistical tests did not provide any relevant correlation between the observed values of trip distance and income and resilience classes.

To analyse further the data, we plotted the distribution of trips per resilience class by brackets of income, depicted in Figure 12 (for São Carlos) and Figure 13 (for the MRM). We classified all the trips with a non-null response for income level into quartiles; we also created a classification for all the trips with no income or no answer for income. We present, for each scenario, on the right the distribution of absolute values of trips classified by resilience class within each income bracket. On the left, we present the share of these classes for each income bracket. Data for São Carlos has a very high value of responses with no income or no answer for income, which may be a consequence of the very large university student population in the city.

In both case studies, the higher the income bracket is the larger is the share of transformable/at risk trips, more so when the MPD is constant and the number of public transport routes varies (the left column of Figure 12 and Figure 13). This effect only disappears when many routes are in operation. In the MRM, when increasing the number of available routes, more transformable/at risk trips become persistent than adaptable, which reflects the local importance of public transport, as previously observed for the spatial distribution of trips in the MRM. When still looking at constant MPD and varying number of routes, if we look at the distribution of the trips, the lower the income bracket is, the largest change from transformable/at risk to persistent occurs, especially in the MRM. The share of transformable/at risk trips for the most optimistic scenarios (higher number of public transport routes) is equalised across all income brackets for both cities. The same trend occurs in optimistic scenarios with higher MPD when it varies for the same number of routes (the right column of both Figures), but with larger changes for intermediate values of MPD (below 3.5 kilometres for São Carlos and 5.5 kilometres for the MRM). For both case studies and for all scenarios, the share of persistent trips increases as the income decreases whereas the share of adaptable trips decreases in the same direction.
Figure 10 Relationship between distance of trip and average monthly individual income (in Brazilian Reais, R$) for São Carlos: (left) with MPD for bicycle of 1.5 kilometres as n and different number of available bus routes; (right) with one available bus route and variable MPD for bicycle.
Figure 11 Relationship between distance of trip and average monthly household income (in Brazilian Reais, R$) for the MRM: (left) with MPD for bicycle of 1.5 kilometres and different number of available bus routes; (right) with one available bus route and variable MPD for bicycle.
Figure 12 Sample of scenarios with the distribution of trips per individual income brackets for São Carlos: (left) with MPD for bicycle of 1.5 km and different number of available bus routes; (right) with one available bus route and variable MPD for bicycle.
Figure 13 Sample of scenarios with the distribution of trips per individual income brackets for the MRM: (left) with MPD for bicycle of 2.0 km and different number of available public transport routes; (right) with one available bus route and variable MPD for bicycle

Conclusion

The paper presented the consideration of public transport in assessing an overall indicator of resilience using the OD matrix for two case studies. This is a new iteration of the methodology developed by Martins et al. (2019), as we now considered incremental scenarios in which public transport routes would become operational in the event of disruption (when car trips would not be possible). These scenarios are combinations of Maximum Possible Distances (MPD) for trips to be made in active modes (walking and cycling) and the number of available public transport routes; the latter were prioritised by their potential transit demand (PTD) measured in the OD pairs for public
transport. The overall indicator of resilience is the share of trips that can be maintained on or transferred to active modes plus the share of trips that can be maintained on or transferred to the operational public transport routes in each scenario. The method has been automated to allow the analysis of larger transit systems using GIS and Python tools.

The method was successfully applied to two cities in Brazil, São Carlos, SP, (290 scenarios) and the Metropolitan Region of Maceió, MRM, AL, (1170 scenarios) showing that the inclusion of more public transport routes adds resilience to the system. However, a higher number of public transport routes results in increasingly smaller resilience gains, showing that there is scope for strategic thinking when designing an operational response to a disruption. These gains are also more substantial for shorter MPD for walking and cycling, as the public transit routes will increase mobility options for longer distances. The spatial distribution of trips suggests an influence of centrality and of the location of the main centres of residences, jobs and services. A more compact city such as São Carlos has a more spatially even distribution of resilient trips, especially when the public transport is considered. A more sprawled city such as the MRM presents a more uneven distribution of resilience.

The analysis of public transport resilience shows that small increments in the supply of public transport routes are key to ensure resilient trips to lower income classes, as higher levels of accessibility are maintained in the event of disruptions.

The incorporation of public transport in the methodology allowed a better characterisation of resilience, its spatial patterns and how resilience distribution relates to income. By incorporating the public transport, we have made the method more representative of the transport system. Results also show that there is a substantial gain of resilience once at least one public transport route is made available, with resilience gains decreasing in value as more routes become operational. This clearly suggests the potential of this method in supporting strategic planning of responses to disruption that might involve a phased redeployment of public transport services post-disruption. The resilience gains highlighted from our approach of prioritising the public transit routes can be used to test the impacts of different priority criteria (for example, minimum legal service during strikes, fuel costs per route or connectivity).

The proposed method also shows potential for transferability. The use of a commonly available mobility management tool, the OD matrix, combined with a detailed characterisation of the transport network (with distances measured over the road network) and the public transport routes makes the method easy to apply in both large and small urban areas as well as in more or less data rich contexts.

The reliability of our resilience index comes from the robustness of OD matrixes, a validated mobility management tool used for decades in multiple different contexts. Our method does not require high technical expertise provided that an OD matrix is available, increasing the potential use of the
resilience index by decision-makers in multiple contexts. However, some design assumptions limit
the way the index represent the transport system. For example, we assumed some simplifications
when considering TAZ and their centroids. When data is available, higher resolution methods could
incorporate geographical coordinates of the relevant features (origin and destination of each trip or
of transit stops), a study that remains a suggestion for further research.

Besides that, further avenues of this research will include an operational analysis of resilience, the
consideration of resilience in trips to hierarchical networks of public facilities (e.g. hospitals and
schools), the integration between transport lines, the impact of significant technological change
towards electrical mobility and localised disruptions (in the whole system or per mode). Another
research area will focus on the use of new mobility services (e.g. ridesourcing and sharing services)
as operational tools to deal with disruption, based on decisions taken considering resilience levels in
the system. Finally, there is scope to explore the potential of linking big data sources, as traffic sensors
or mobile data, in analysing on-the-fly resilience levels.

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